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**GRAVITY VS FEEDBACK ACROSS
THE SCALES OF STAR FORMATION**

OUTLINE

- ▶ Massive star clusters
 - ▶ Demographic considerations
 - ▶ Feedback and regulation of star formation
- ▶ Individual massive stars
 - ▶ Linking the cluster and stellar scales
 - ▶ Fragmentation
 - ▶ The upper mass limit



Action Press/REX/Shutterstock

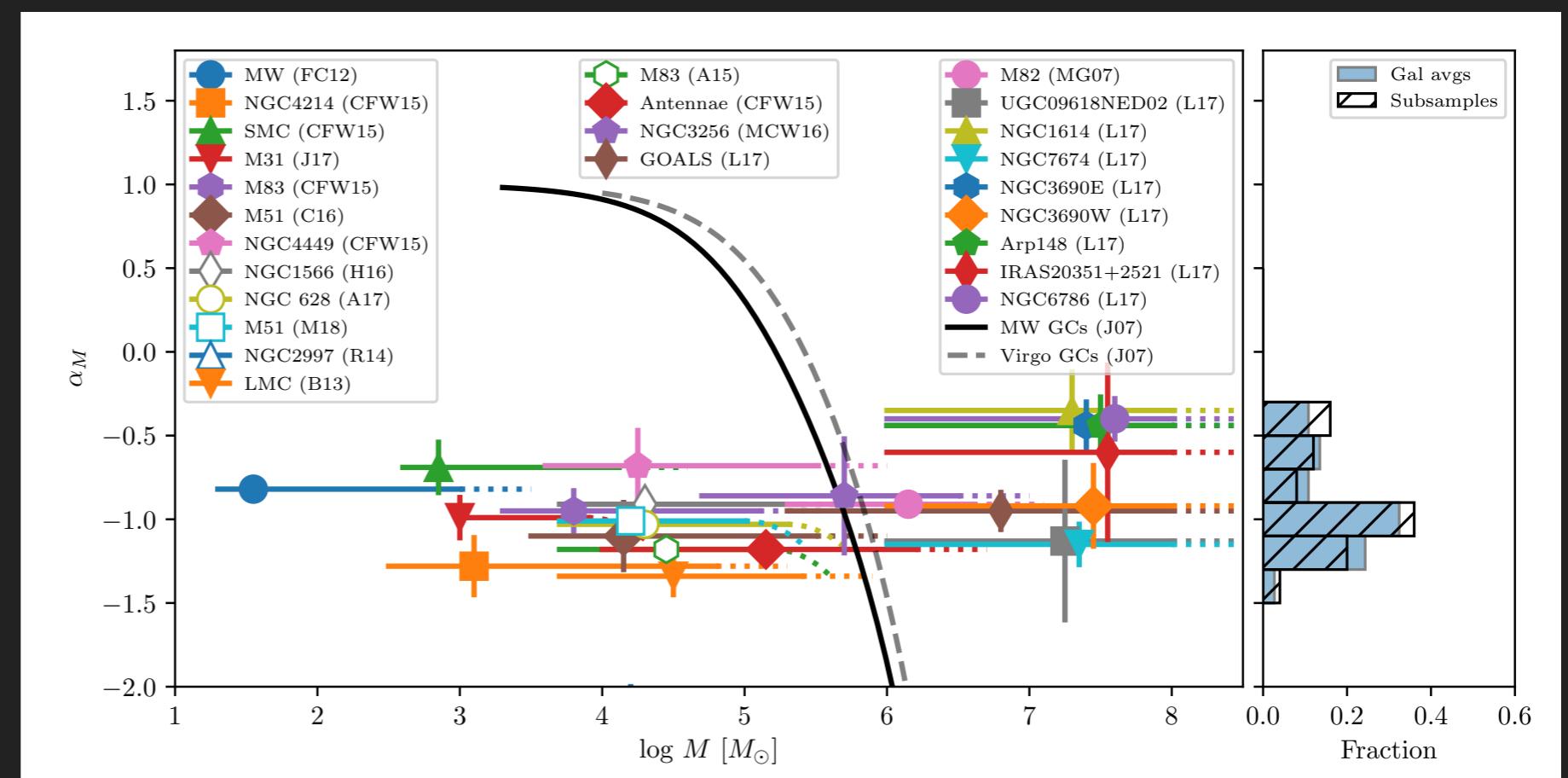
MASSIVE STAR CLUSTERS: DEMOGRAPHICS

For no reason whatsoever, here is a baby wombat

THE STAR CLUSTER MASS FUNCTION

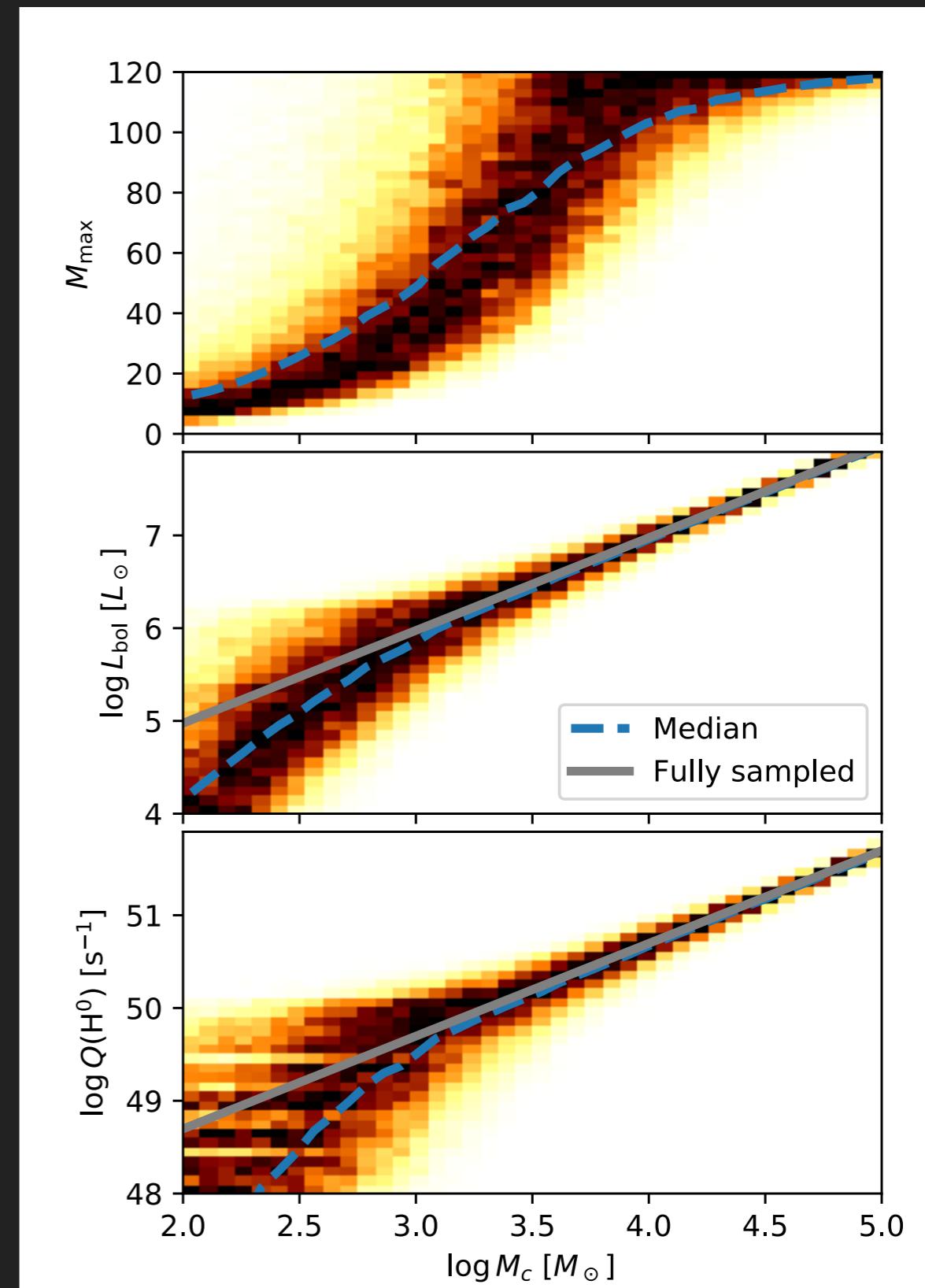
- ▶ Cluster mass function is $dN / d\log M \sim M^a$ with $a \approx -1$ in all galaxies, probably due to turbulence (e.g., Dobbs+ 2017, Hopkins+ 2018)
- ▶ On low mass end, power law continues to $< 100 M_\odot$; possible high mass truncation

Krumholz, McKee, &
Bland-Hawthorn,
ARA&A, 2018, in prep



WHAT IS A MASSIVE STAR CLUSTER?

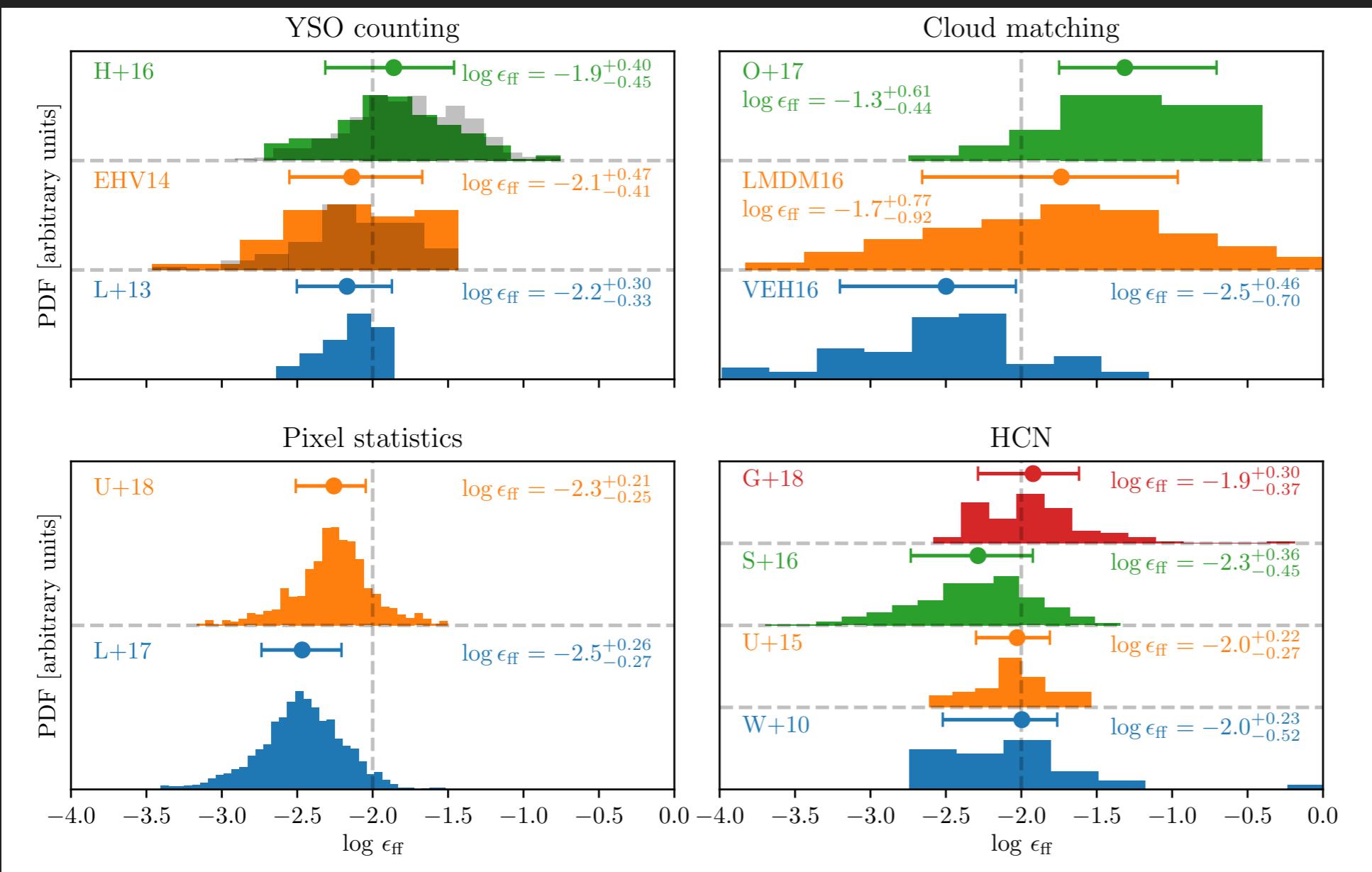
- ▶ For stellar masses drawn from a Chabrier or Kroupa IMF, only clusters with masses $\gtrsim 3000 M_{\odot}$ likely to produce stars $\gtrsim 60 M_{\odot}$
- ▶ Since feedback heavily depends on the most massive stars, this motivates a definition of massive cluster: one with mass $\gtrsim 3000 M_{\odot}$
- ▶ For observed CMF, $\gtrsim 1/2$ of star formation is in massive clusters



STAR FORMATION EFFICIENCY

- ▶ Two types of star formation efficiency:
 - ▶ ϵ_{ff} = fraction of mass turned into stars per free-fall time
 - ▶ ϵ_{\star} = mass fraction turned into stars over full cloud lifetime
- ▶ First type can be measured directly by comparing SF tracers to tracers of gas mass using several methods
- ▶ Second type harder to measure; constrained to be $\lesssim 0.3$ in most regions by the fact that most star clusters do not survive past ~ 10 Myr, indicating they were unbound

CONSTRAINTS ON EFFICIENCY



Compilation: Krumholz, McKee, & Bland-Hawthorn, ARAA 2018, in prep

Data:

H+16 = Heyer+ 2016
 EHV14 = Evans+ 2014
 L+13 = Lada+ 2013
 O+17 = Ochsendorf+ 2017
 LMDM16 = Lee+ 2016
 VEH16 = Vutisalchavakul+ 2016
 U+18 = Utomo+ 2018
 L+17 = Leroy+ 2017
 G+18 = Gallagher+ 2018
 S+16 = Stephens+ 2016
 U+15 = Usero+ 2015
 W+10 = Wu+ 2010

HCN calibration: Onus+ 2018

Summary: $\epsilon_{\text{eff}} \approx 0.01$, $\sigma_{\epsilon_{\text{eff}}} \approx 0.5$ dex, 0.5 dex systematic error.
 No obvious variation with SF-region mass.



MASSIVE STAR CLUSTERS: FEEDBACK

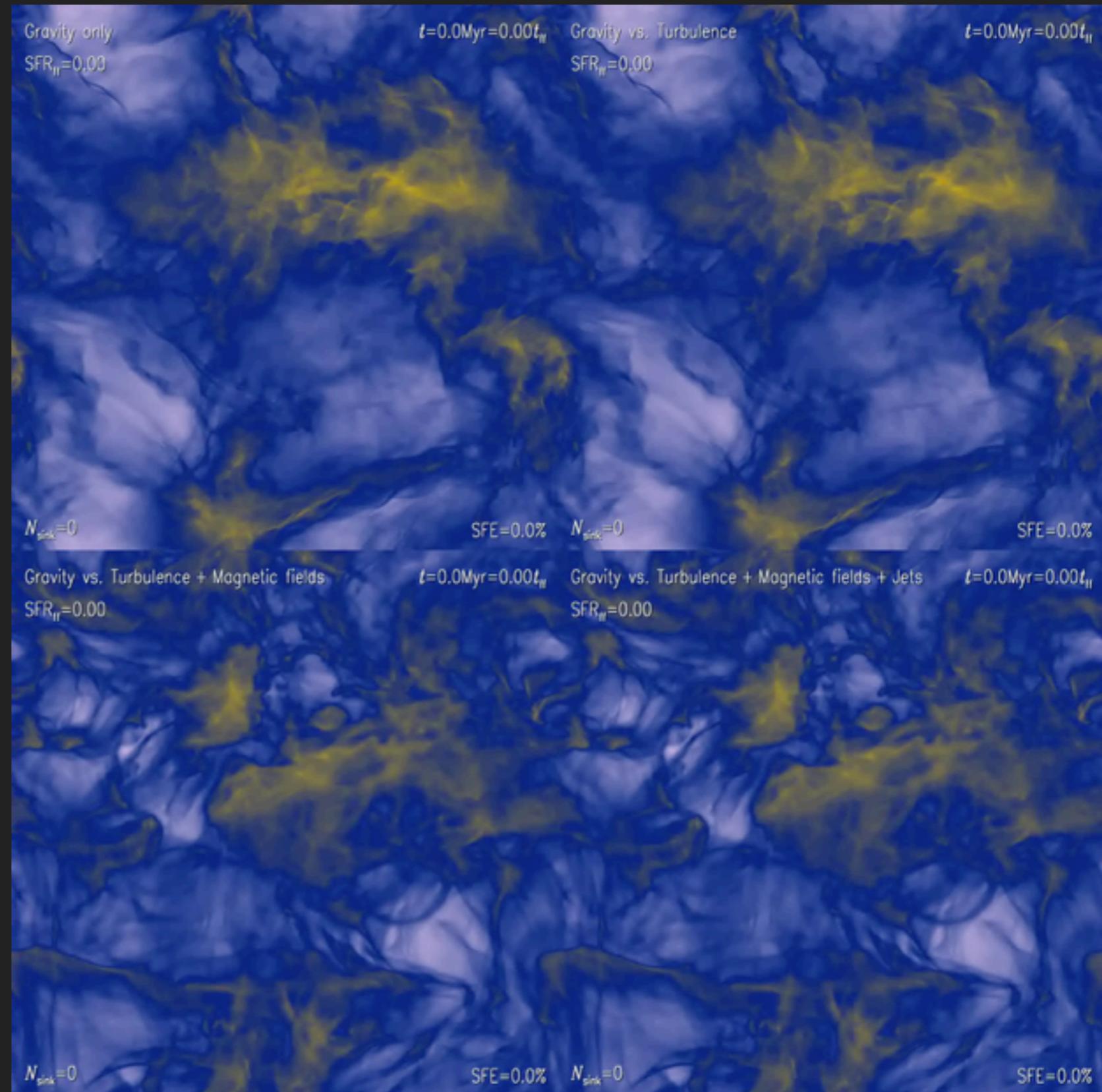
For no reason whatsoever, here is a baby echidna

INVENTORY OF FEEDBACK MECHANISMS

- ▶ Feedback needed to explain low ϵ_{ff} and ϵ_{\star} ; these are NOT the same, and may not be explained by the same mechanism
 - ▶ ϵ_{ff} mostly depends on inhibiting star formation (e.g., by turbulence)
 - ▶ ϵ_{\star} mostly depends on ejecting mass
- ▶ Mechanisms to think about:
 - ▶ Protostellar outflows
 - ▶ Photoionization
 - ▶ Direct radiation pressure
 - ▶ Dust-reprocessed IR radiation pressure
 - ▶ Massive star winds
 - ▶ Supernovae

OUTFLOWS

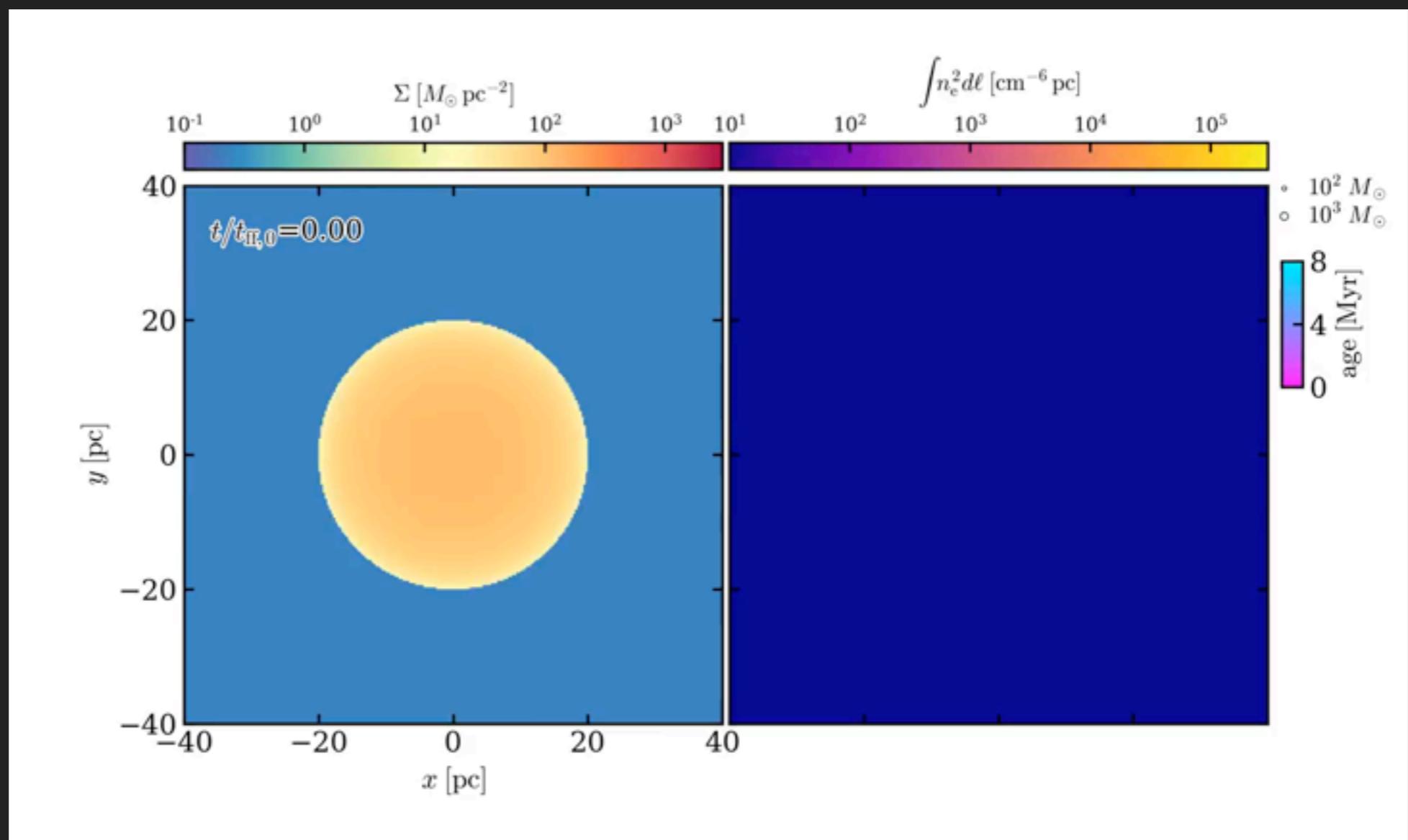
- ▶ Most likely to explain low ϵ_{ff} : they start immediately, drive turbulence, and eject mass from cores
- ▶ Need B fields to work
- ▶ Modern simulations have $\epsilon_{\text{ff}} \sim$ few percent
- ▶ Outflows do not lower ϵ_{\star} unless escape speed is \lesssim few km s^{-1}



PHOTOIONIZATION

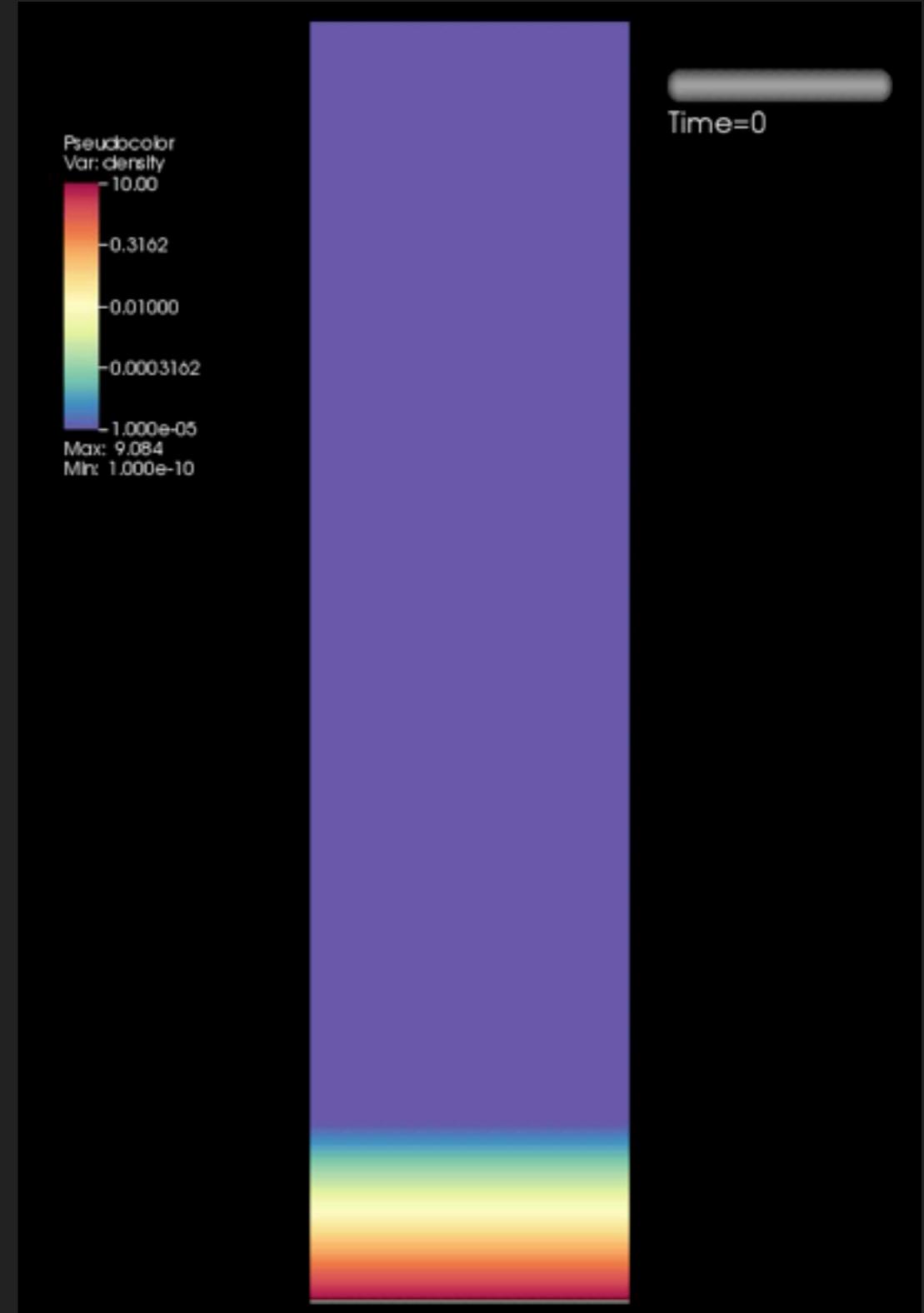
- ▶ Ionization heats gas to 10^4 K, producing pressure-driven wind
- ▶ Able to limit ε_\star to ~ 0.3 as long as $v_{\text{esc}} \lesssim 10 \text{ km s}^{-1}$

Kim, Kim,
& Ostriker
2018



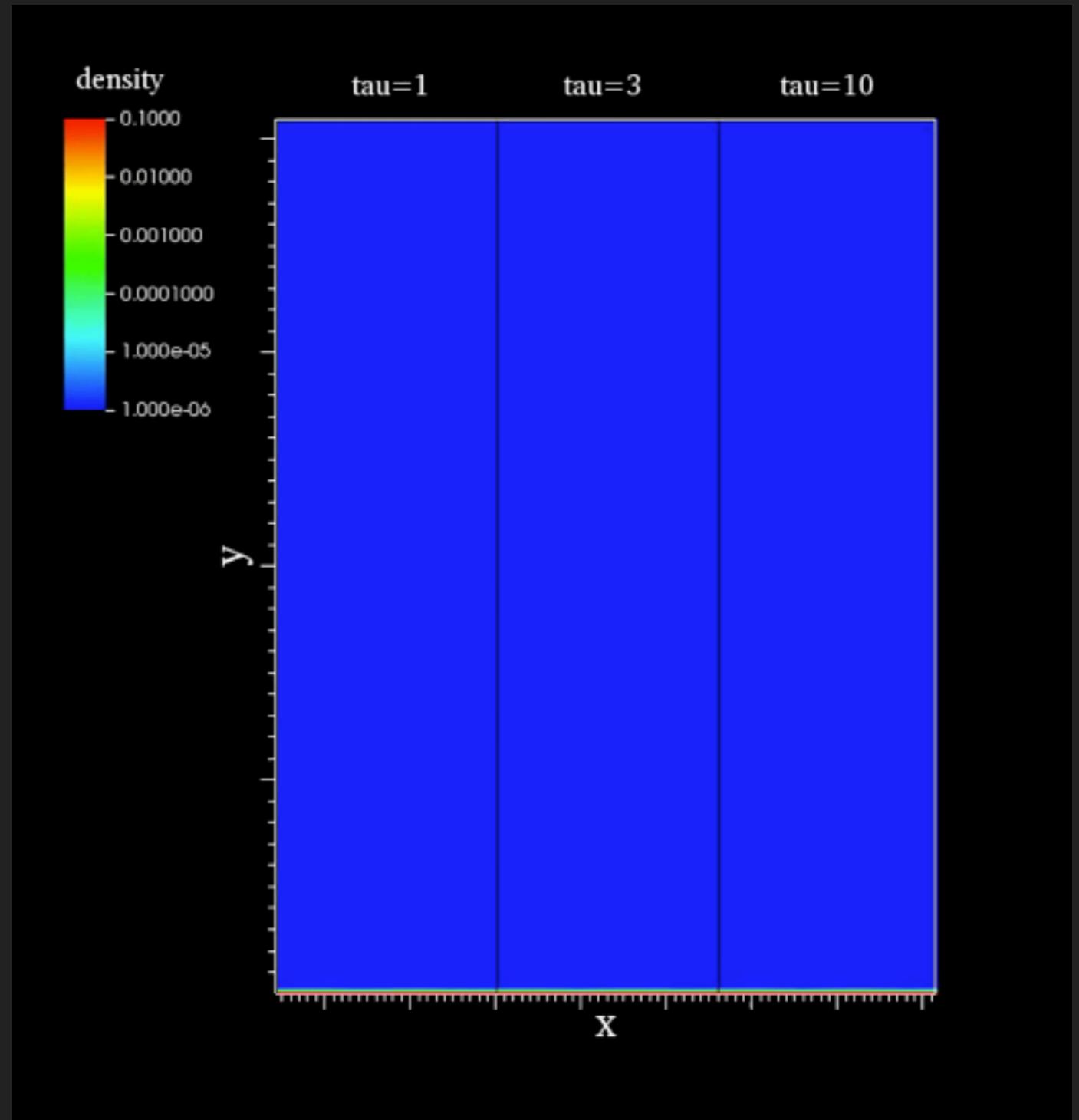
DIRECT RADIATION PRESSURE

- ▶ Radiation force > gravitational force on any gas column with $\Sigma < \Sigma_{\text{crit}} = (L/M) / 4\pi Gc \sim 300 M_{\odot}$ pc⁻² (Fall+ 2010)
- ▶ In a turbulent medium with a PDF of Σ 's, low Σ regions ejected even if mean $\Sigma > \Sigma_{\text{crit}}$
(Thompson & Krumholz 2016)
- ▶ Net effect is to limit ε_{\star} to ~50% for $\Sigma \lesssim 10 \Sigma_{\text{crit}}$



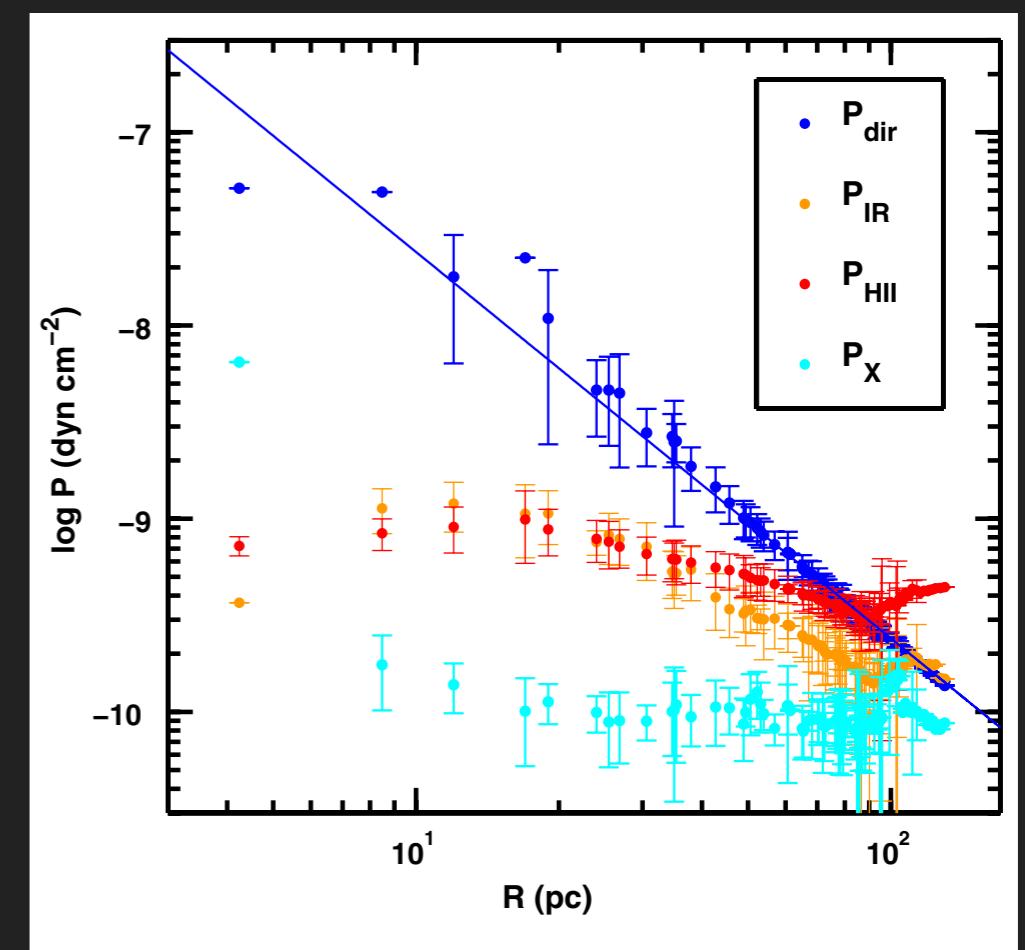
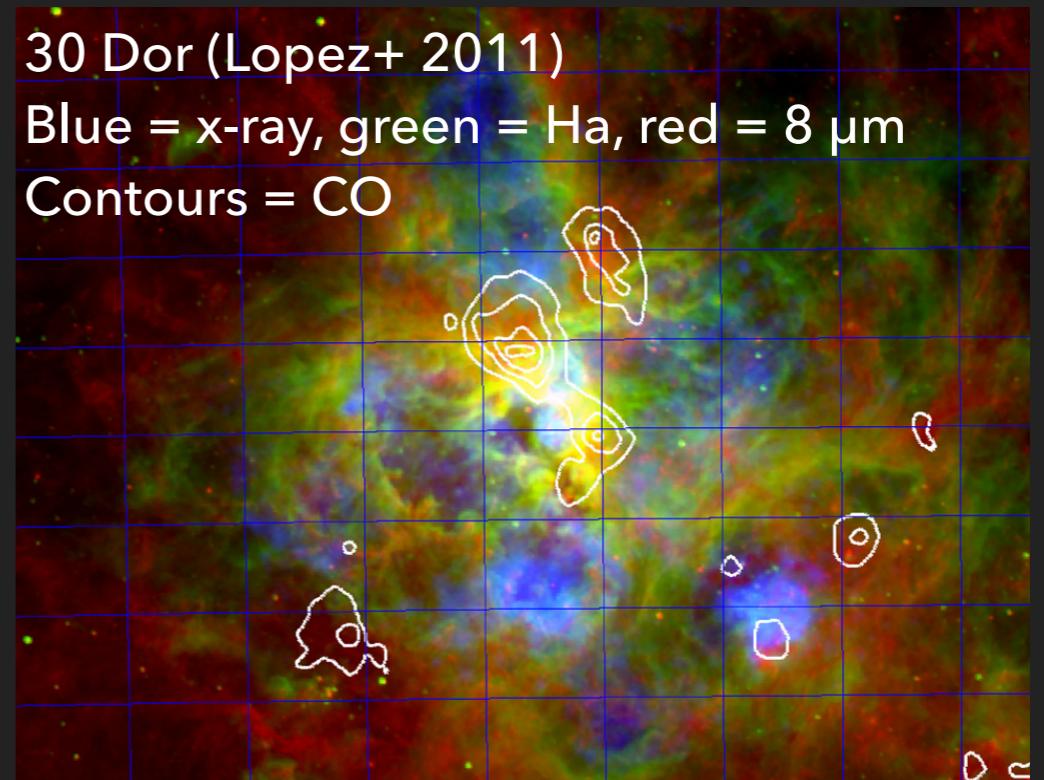
IR RADIATION PRESSURE

- ▶ If column is high enough, re-radiated IR can be trapped
- ▶ Force can be \gg direct radiation force, ejecting gas in bulk
- ▶ Ejection rate limited by radiation RT instability
- ▶ Only happens if $\tau > 1$ even for opacity at dust photosphere: needs $\Sigma \gtrsim 10^5 \text{ M}_\odot \text{ pc}^{-2}$



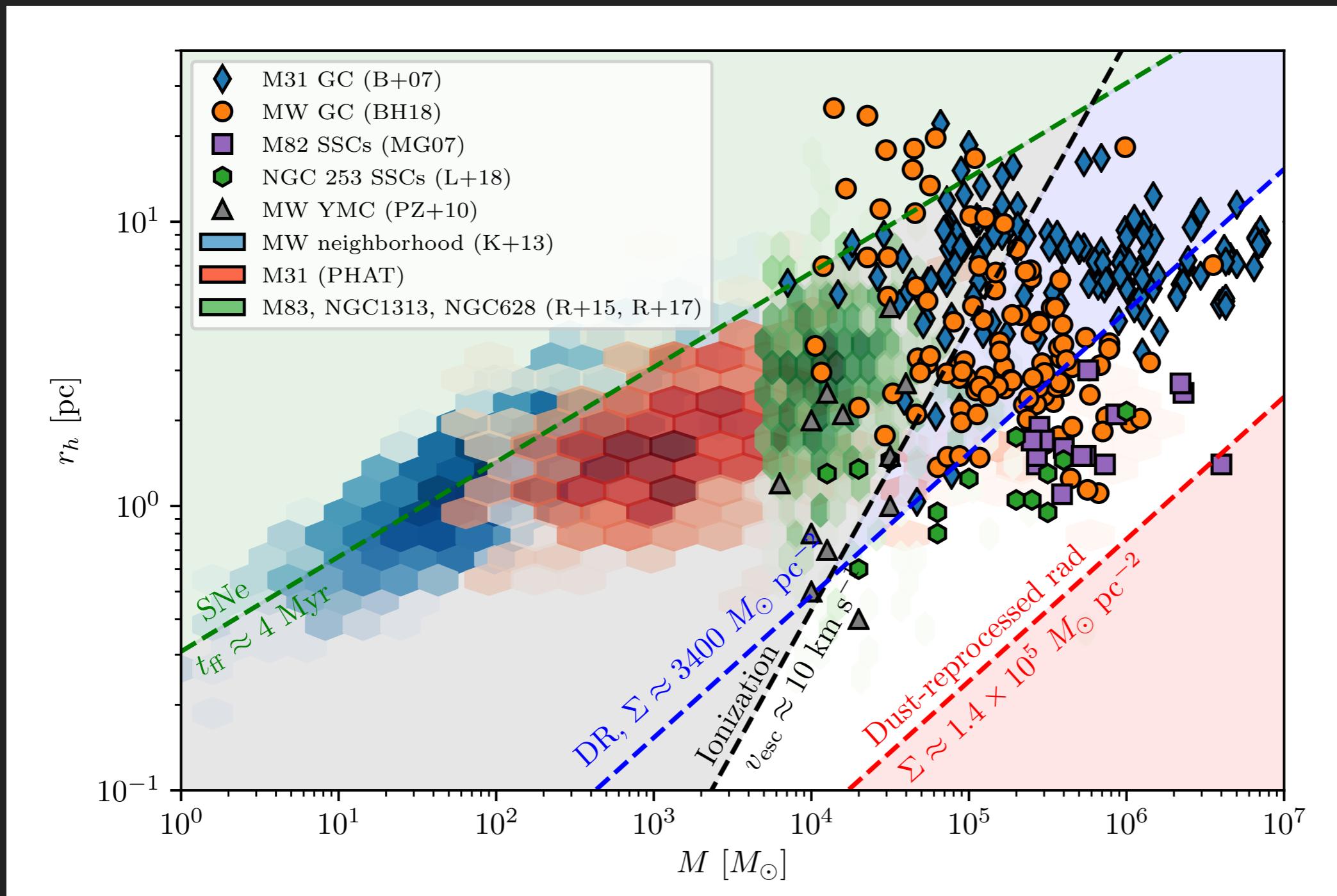
MASSIVE STAR WINDS

- ▶ Key issue with winds is leakage: how much hot gas escapes without exerting significant forces?
- ▶ Can measure directly by x-rays
- ▶ Compare to other pressures: photoionized gas (from radio free-free), direct radiation (from bolometric luminosity), IR radiation (from dust SED)
- ▶ Winds not observed to be dominant



SUPERNOWA FEEDBACK

- ▶ First SNe do not explode until $\gtrsim 4$ Myr after star formation
- ▶ Dynamical time is 4 Myr for densities $n \approx 100 \text{ cm}^{-3}$; at $\epsilon_{\text{ff}} = 1\%$, ϵ_{\star} reaches 50% before first SN if $n \gtrsim 3 \times 10^5 \text{ cm}^{-3}$
- ▶ Thus SNe probably only important for SF regulation in low-density regions
- ▶ However, a significant fraction of stars may form in such regions, and this may ultimately be the reason that ϵ_{\star} is limited to small values (Kruijssen 2012)



PUTTING IT ALL TOGETHER

Krumholz, McKee, & Bland-Hawthorn,
ARA 2018, in prep



MASSIVE STARS: LINKS TO THE CLUSTER SCALE

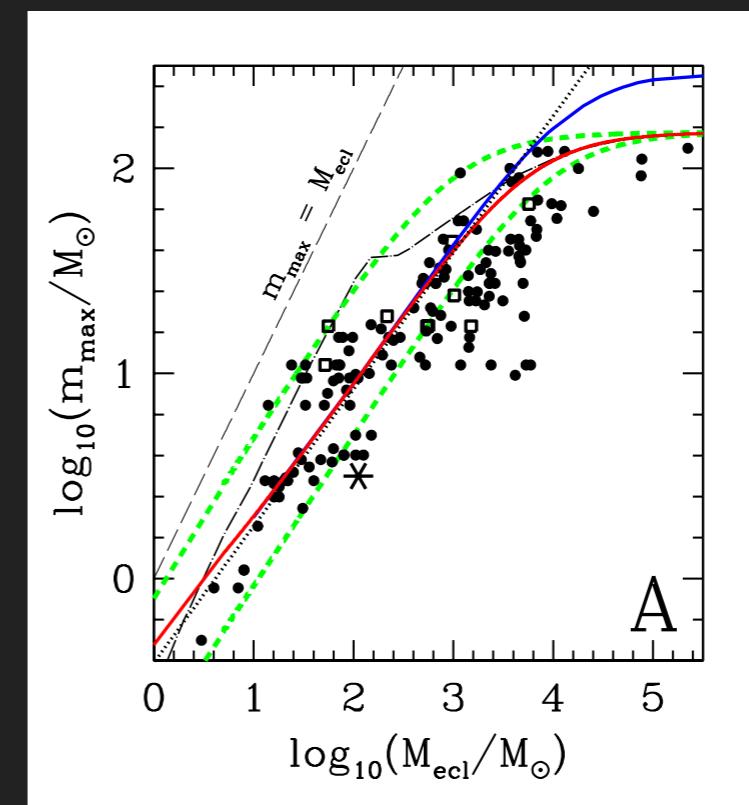
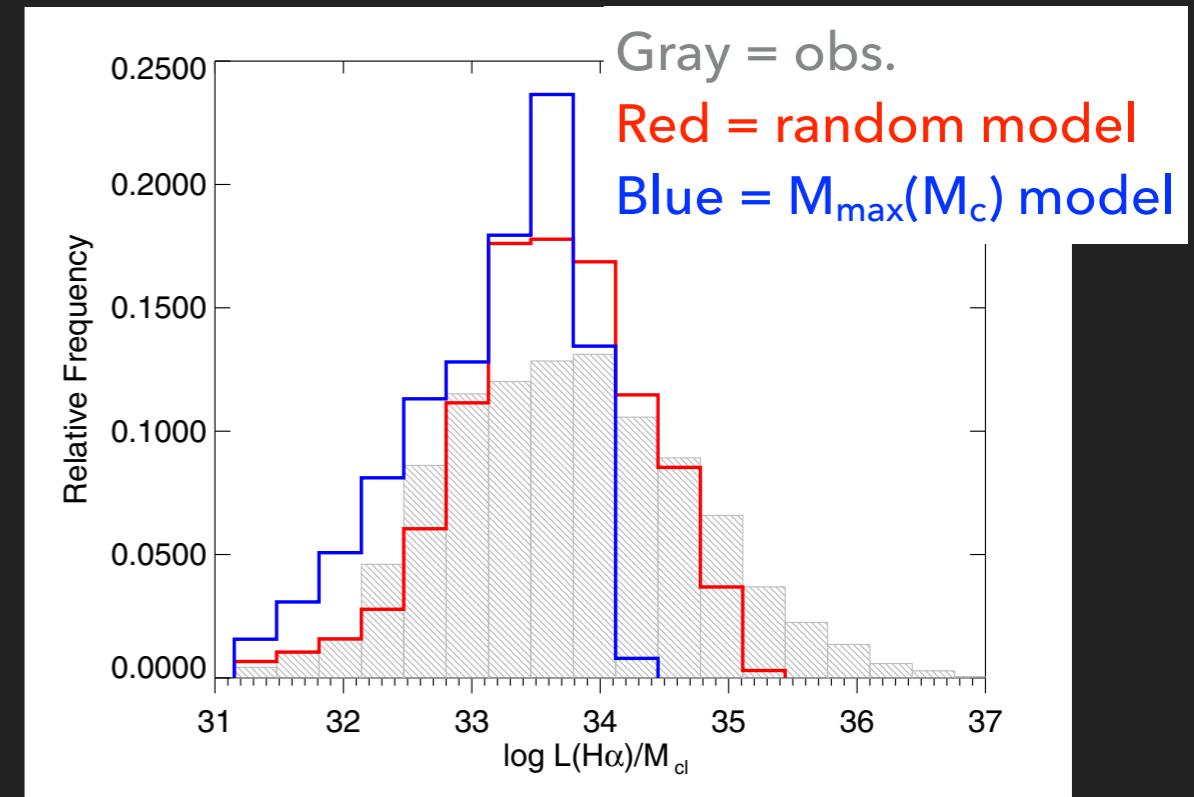
For no reason whatsoever, here is a baby quokka

THE CLUSTER-STELLAR LINK

- ▶ Calculations discussed so far assumed that feedback in massive clusters comes from a fully-sampled IMF
- ▶ Is this necessarily the case? Is any star cluster with sufficient mass expected to be able to produce a massive star, or are there special conditions that a protocluster has to meet to make massive stars?
- ▶ How is mass assembled from cluster scale to form a massive star? Fast or slow? Global collapse or slow accumulation?

DOES CLUSTER MASS MATTER?

- ▶ Does cluster mass affect stellar mass, beyond size of sample effect?
- ▶ Extragalactic studies with uniform selection, analysis strongly indicate no, but these rely on proxies like ionizing luminosity
- ▶ Galactic studies less clear; results extremely sensitive to exact definition of cluster and means of sample selection, and systematic errors usually ignored

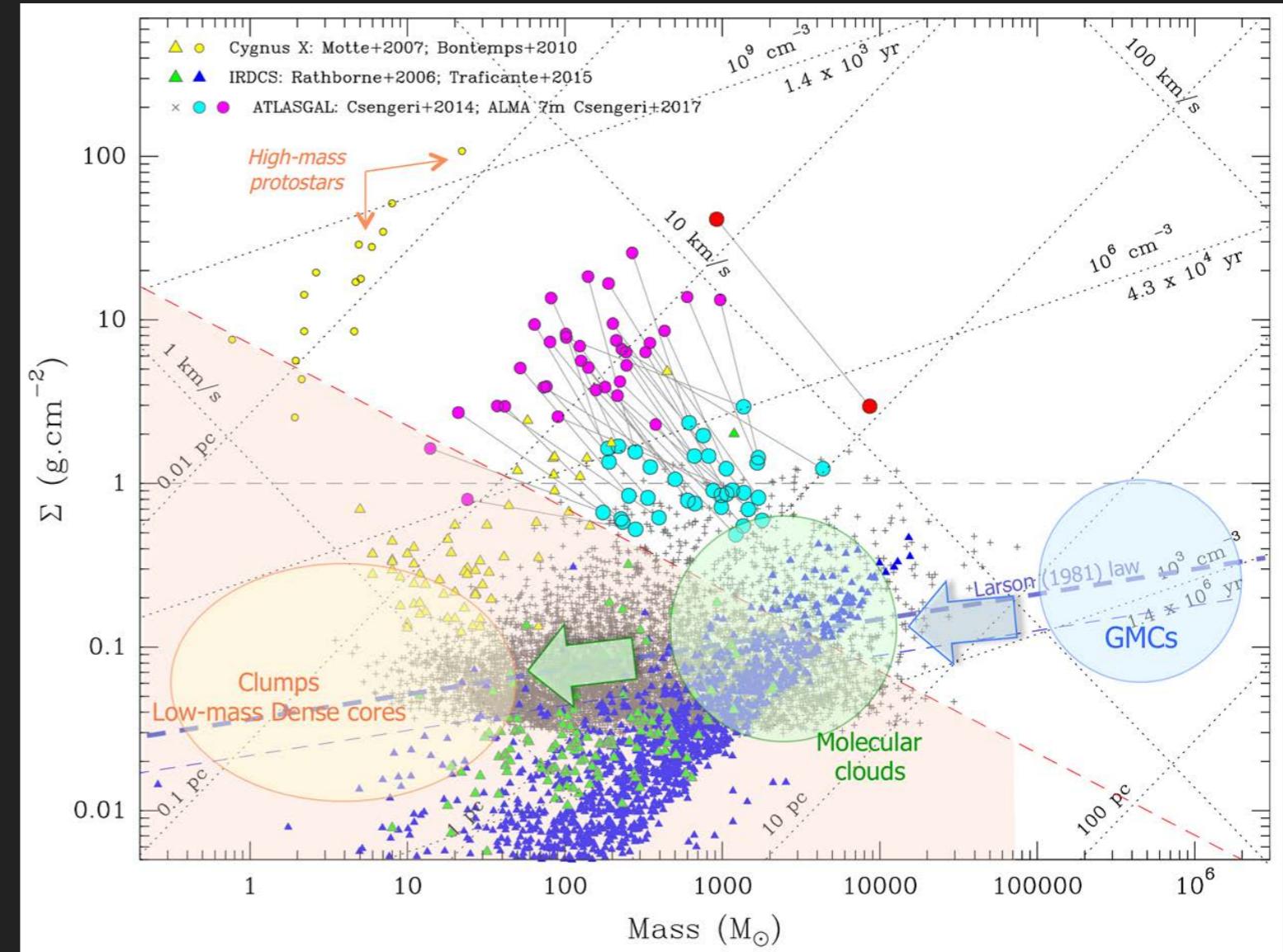


Top: Andrews,
Calzetti, + 2014

Right: Weidner,
Kroupa, &
Pflamm-
Altenburg 2014

DOES SURFACE DENSITY MATTER?

- ▶ High Σ regions more likely to show signs of massive star formation (e.g., Kauffmann & Pillai 2010, Lopez-Sepulcre+ 2010)
- ▶ IR-dark high Σ regions more likely to be close to monolithic when imaged with an interferometer (e.g., Csengeri+ 2017)
- ▶ Difficult to define scale on which Σ should be measured



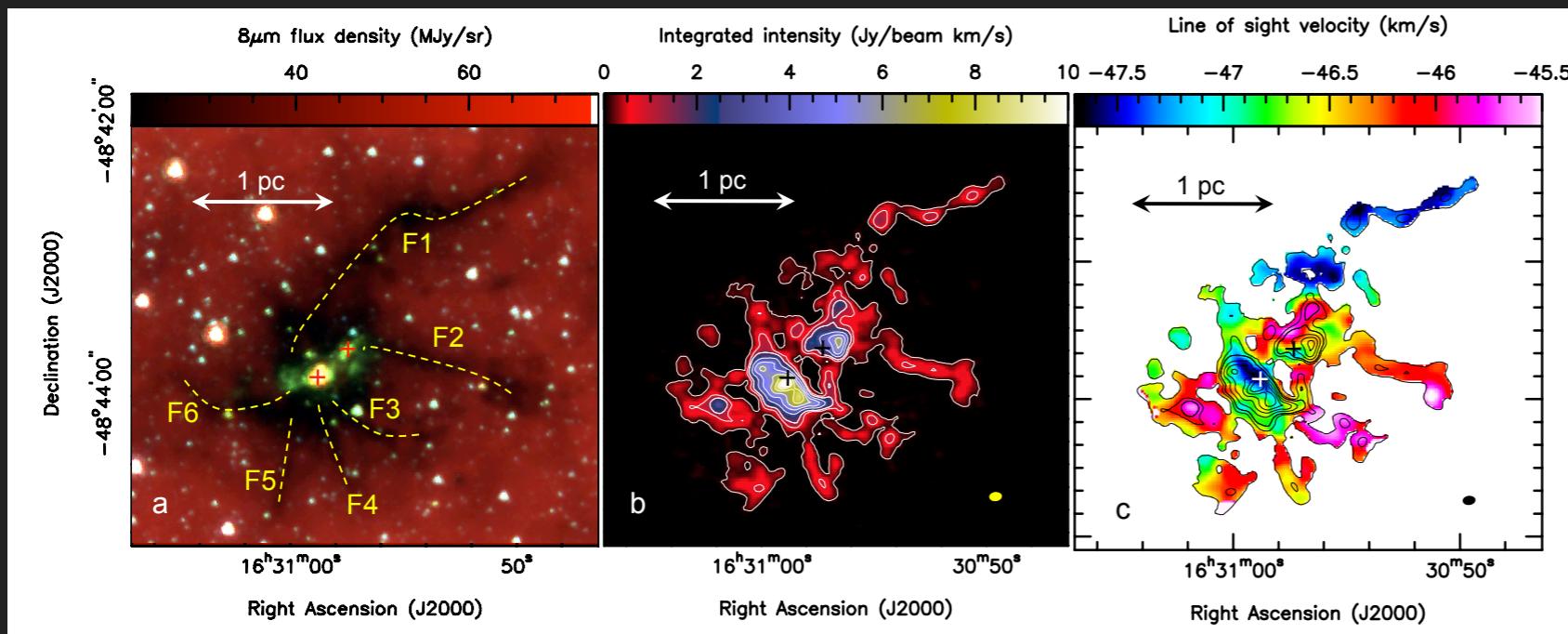
Motte, Bontemps, & Louvet 2018

MASS ASSEMBLY

- ▶ Timescales can be constrained by relative numbers of objects in different observed states
- ▶ Searches for “starless, massive cores” (defined as $M \gtrsim 100 M_{\odot}$, $n \gtrsim 10^6 \text{ cm}^{-3}$, IR-dark) show few candidates; inferred duration of this phase $\lesssim 10^5 \text{ yr}$, comparable to t_{ff}
- ▶ This implies massive protostellar cores must begin star formation as they are assembled, rather than being assembled first (Motte, Bontemps, & Louvet 2018)

MASS ASSEMBLY II

- ▶ Inflow rates on larger scales imply lifetimes $> t_{\text{ff}}$
- ▶ E.g. SDSC335 has $dM/dt \approx 2 \times 10^{-3} M_{\odot} \text{ yr}^{-1}$, $M \approx 2600 M_{\odot}$, $r \approx 0.6 \text{ pc}$, so $t_{\text{acc}} = M / (dM/dt) \approx 1 \text{ Myr}$ and $t_{\text{ff}} \approx 0.1 \text{ Myr}$, so $t_{\text{acc}} / t_{\text{ff}} \approx 10$ (Tan+ 2014)
- ▶ Suggested picture: massive core collapse begins immediately, and core is fed while collapsing, but is itself quasi-virialized (e.g., Lee & Hennebelle 2016)



SDSC335; Peretto+ 2013

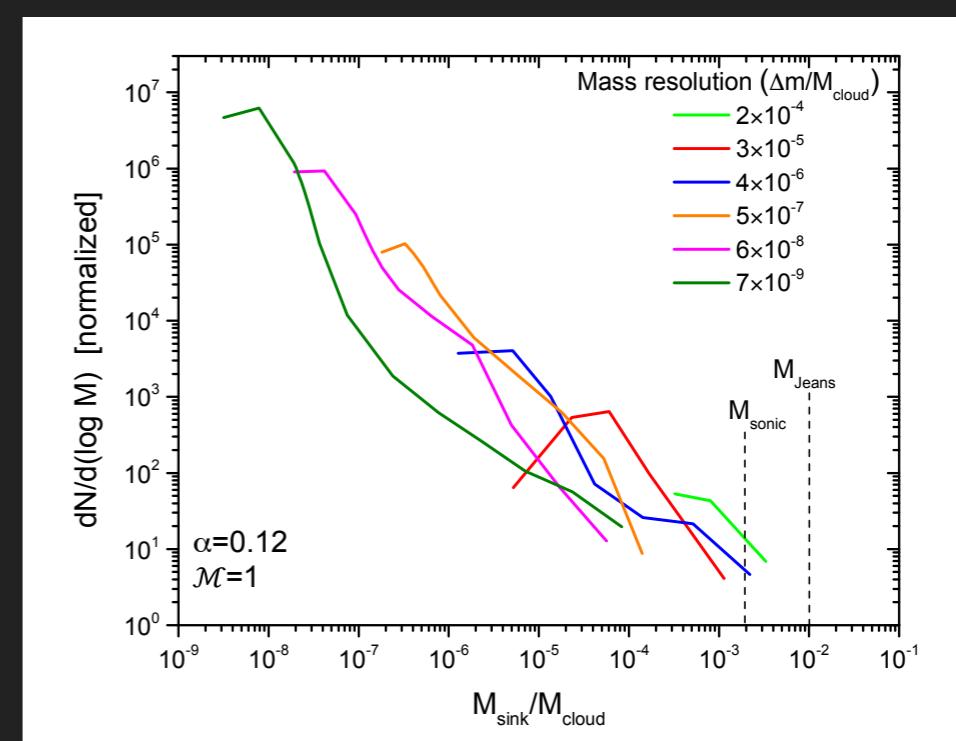
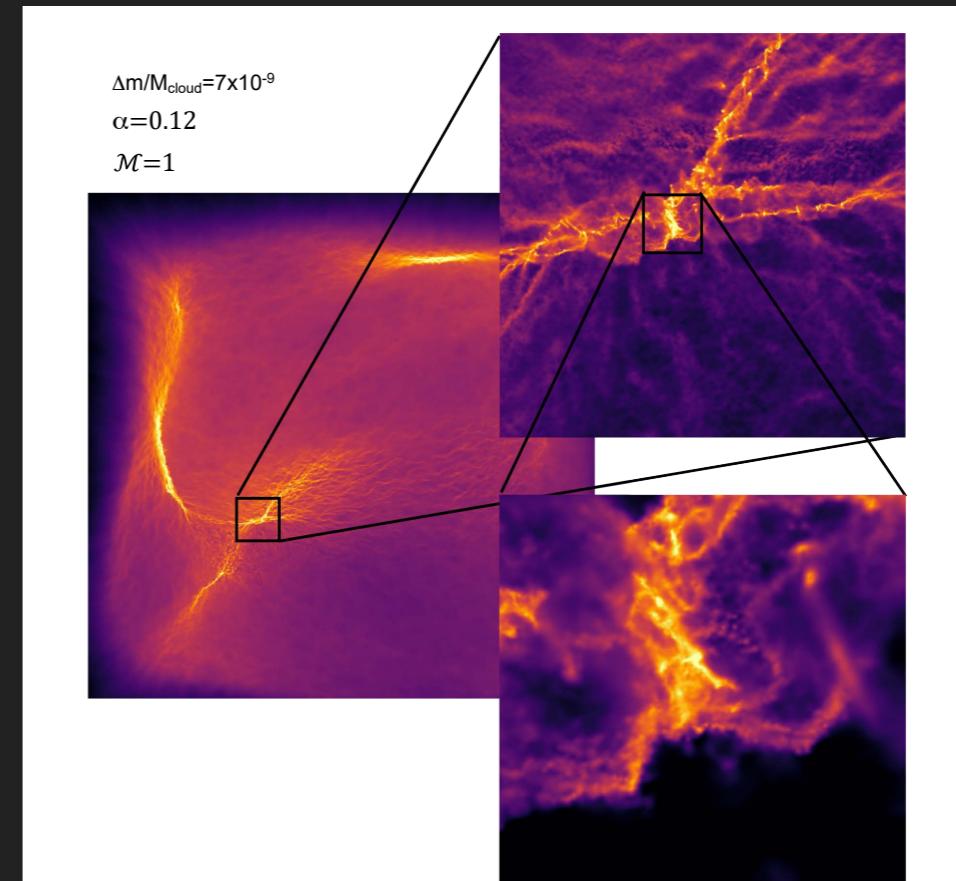


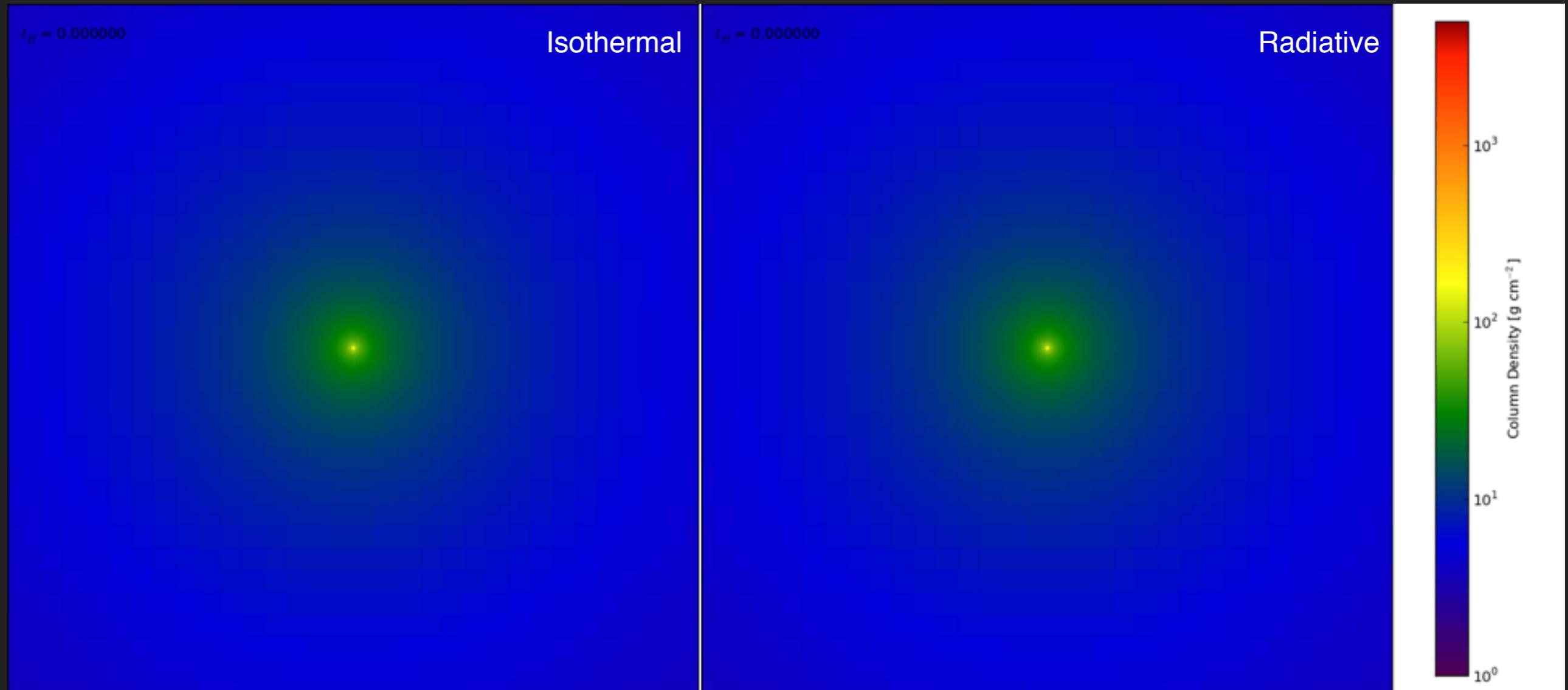
MASSIVE STARS: FRAGMENTATION

For no reason whatsoever, here are baby platypuses

ISOETHERMAL FRAGMENTATION

- ▶ Jeans mass $M_J \sim \rho^{-1/2}$, so as collapse occurs, mass that is able to fragment goes to zero
- ▶ Numerical experiments show that this produces fragmentation to infinitely small scales
- ▶ To form a massive star, the fragmentation cascade must be halted
- ▶ Likely agent: radiative feedback



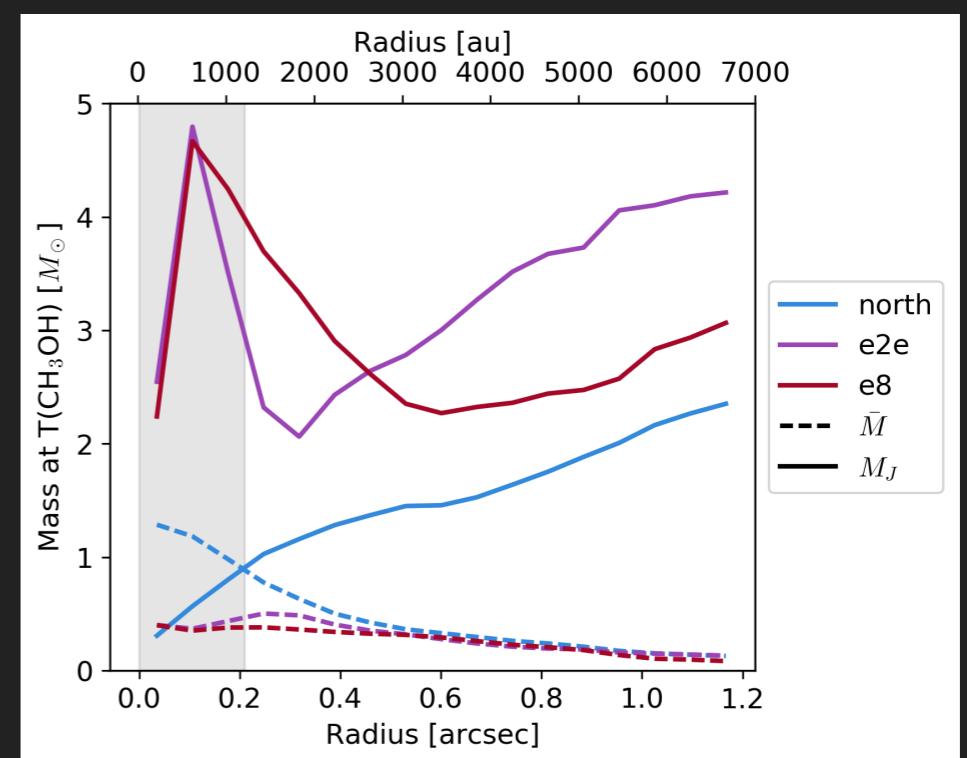
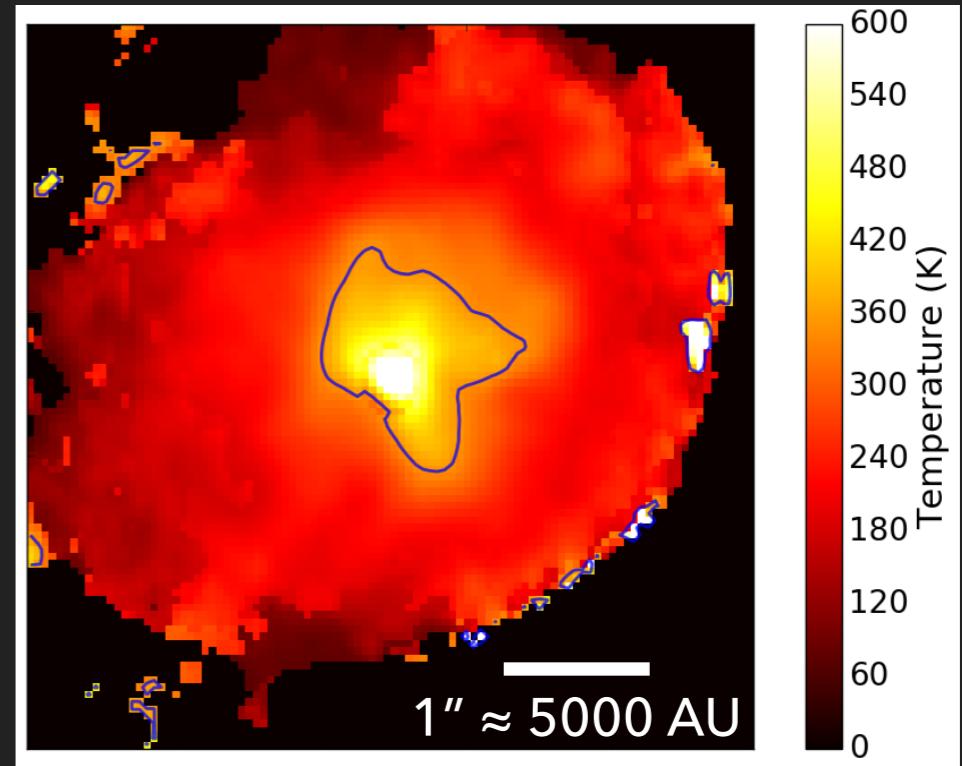


RMHD SIMULATIONS

Myers+ 2013

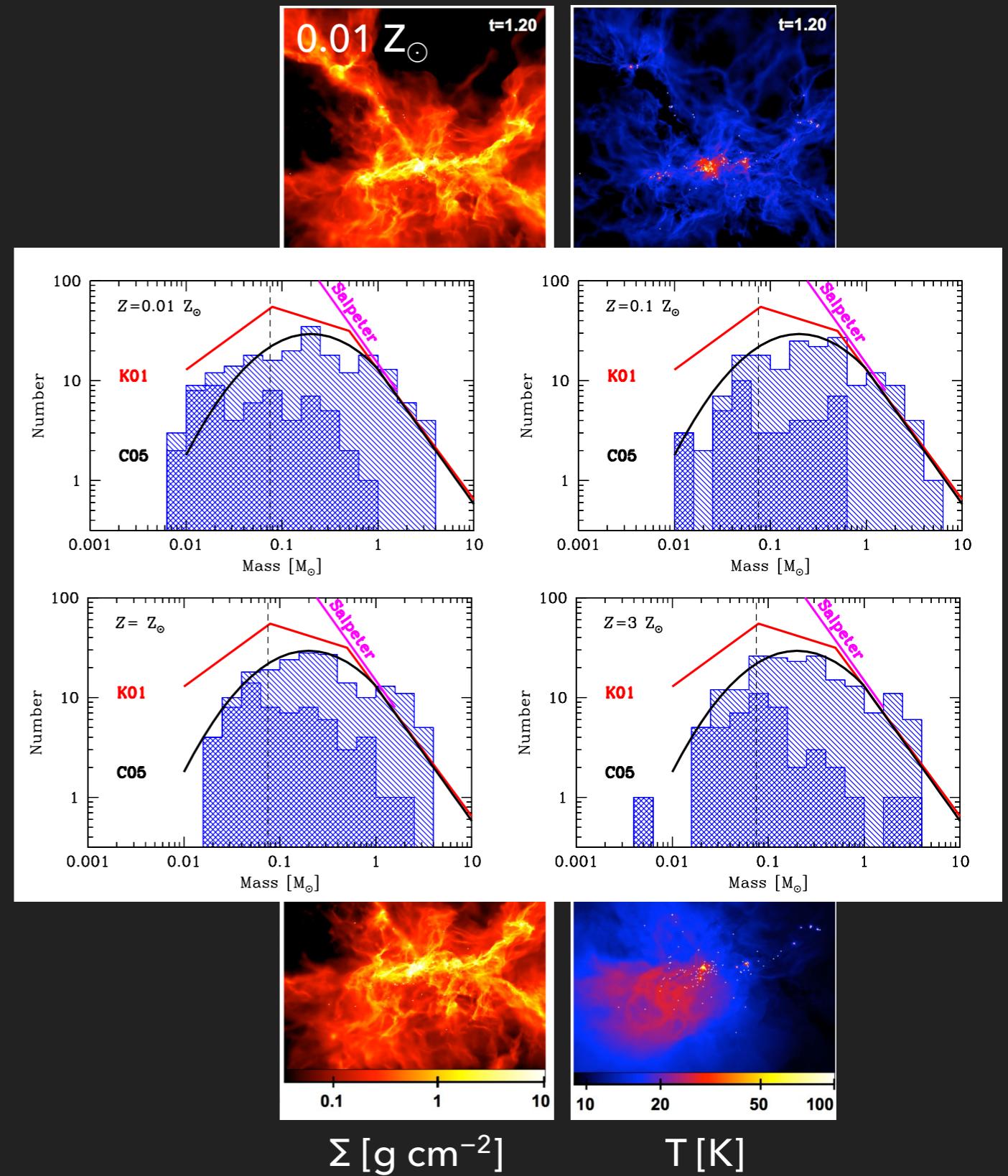
OBSERVATIONAL EVIDENCE

- ▶ Observations of temperature structure around massive protostars shows warm gas
- ▶ Observed heating sufficient to suppress fragmentation on >1000 AU scales
- ▶ Supports the idea that radiative feedback is key to allowing massive star formation



DEPENDENCE ON Σ AND Z

- ▶ Radiation coupled to gas by dust, so metallicity might matter
- ▶ Turns out it doesn't, because at $\Sigma \sim 1 \text{ g cm}^{-2}$, even opacity 1% of Milky Way is sufficient to render gas optically thick to stellar photons
- ▶ However, Σ needs to be high enough to trap the radiation
 - ▶ For no B fields, "high enough" is $\Sigma \sim 1 \text{ g cm}^{-2}$ (Krumholz & McKee 2008)
 - ▶ Value with B fields unknown





MASSIVE STARS: THE UPPER LIMIT

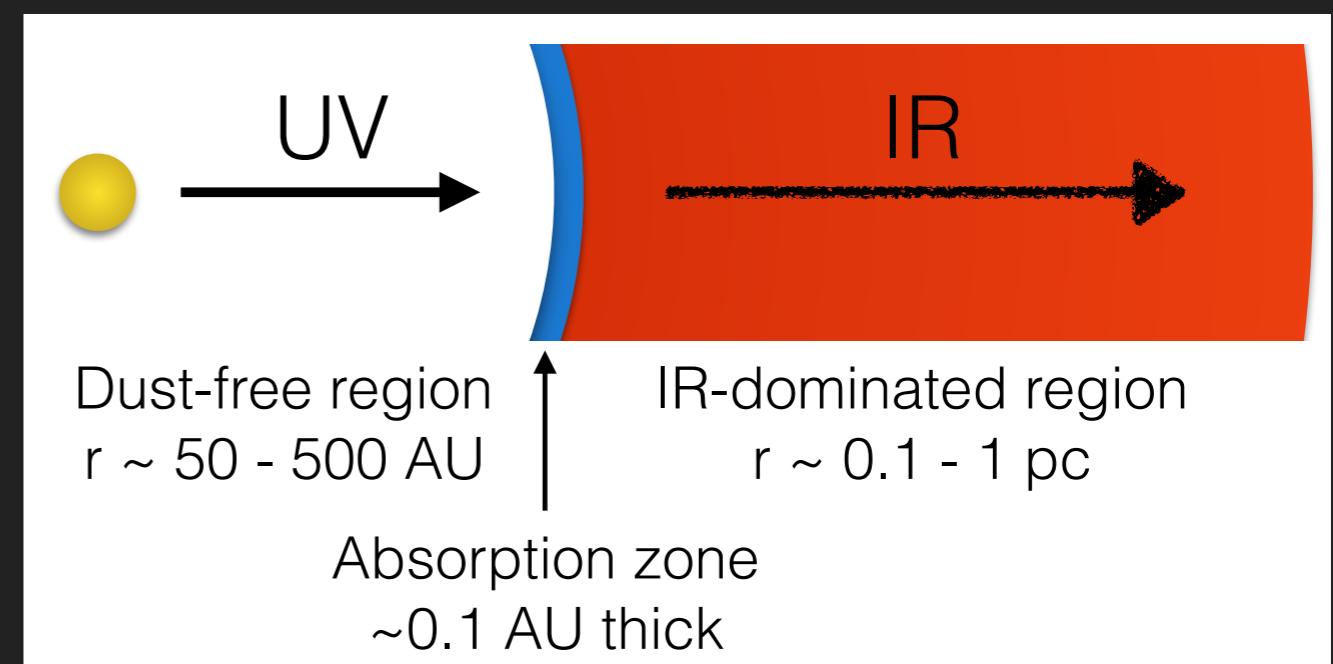
For no reason whatsoever, here is a
baby sugar glider

LIMITING STELLAR MASSES: WINDS AND PHOTOIONIZATION

- ▶ Photoionization feedback mostly ineffective because $dM/dt \sim 10^{-4}$ sufficient to keep ionized region trapped near star (Walmsley 1995, Keto+ 2002, 2003, 2007)
- ▶ Main sequence winds can only become important at masses above $\sim 40 M_{\odot}$ – otherwise star is bloated and has T_{eff} too low to drive wind
- ▶ Winds conceivably important after that, but only if they become trapped; otherwise too little momentum

LIMITING STELLAR MASSES: RADIATION PRESSURE

- ▶ Near massive star, radiation creates a dust-free zone with low opacity (except perhaps in the disk)
- ▶ UV radiation free-streams outward, delivers $\Delta p = L/c$ at dust destruction front
- ▶ IR diffuses out from DDF
- ▶ Accretion must overcome both UV and IR forces

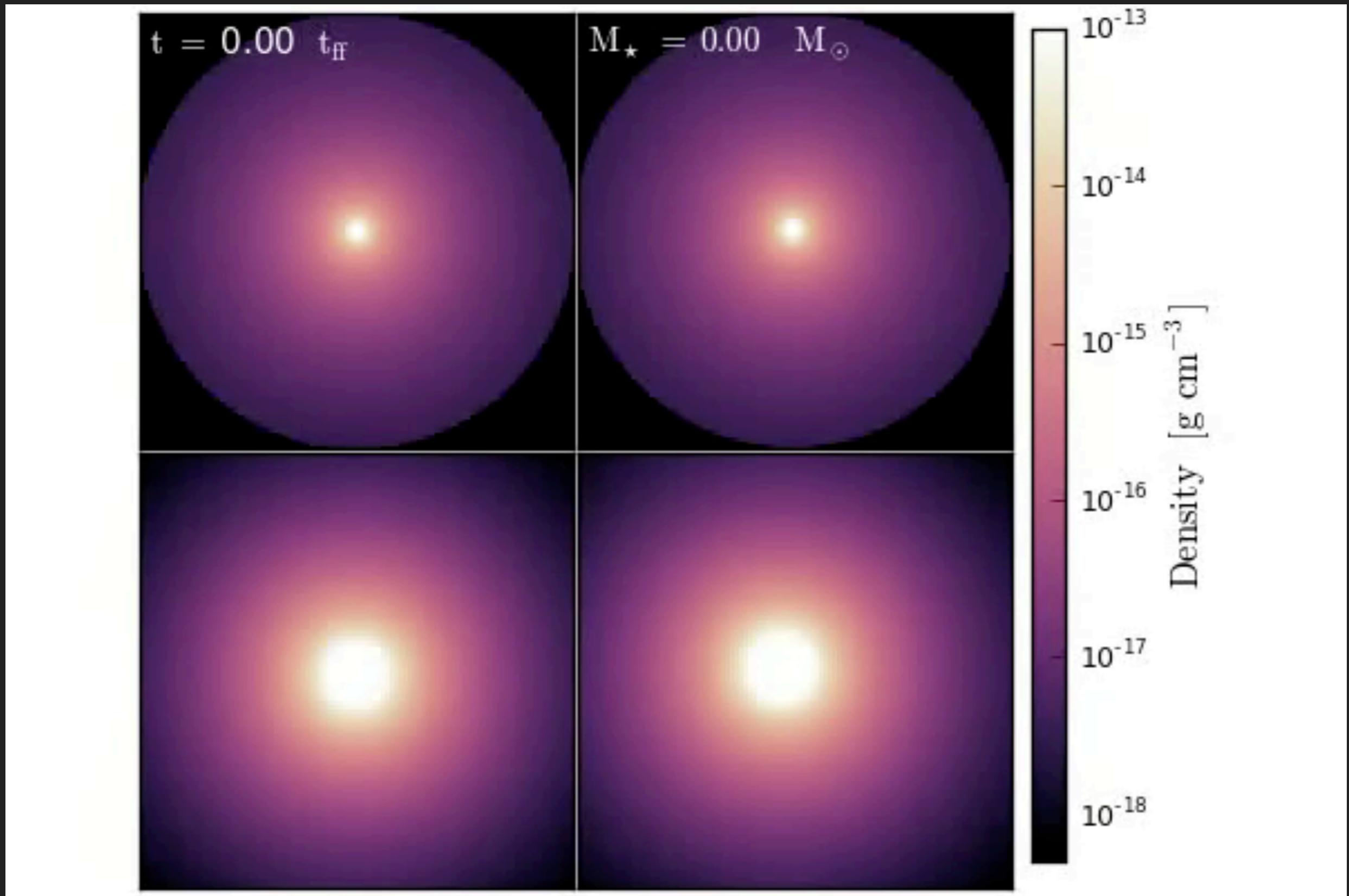


RADIATION FORCES: GENERAL CONSIDERATIONS

- ▶ Most massive stars have $L/M \approx 10^4 L_\odot/M_\odot$, corresponding to $\Sigma_{\text{crit}} \approx 0.8 \text{ g cm}^{-2}$; thus direct radiation pressure cannot set a mass limit in cores of higher Σ
- ▶ In IR-dominated region, Eddington ratio is for isotropic radiation flux is $f_{\text{Edd}} = \kappa_{\text{IR}} L / 4\pi G M c \approx 8$ ($\kappa_{\text{IR}}/10 \text{ cm}^2 \text{ g}^{-1}$)
- ▶ Thus accretion is possible only if some mechanism makes the radiation flux anisotropic

BEATING THE RADIATION PRESSURE LIMIT

- ▶ Many mechanisms available to make flux anisotropic
 - ▶ Disk collimation (Yorke & Sonnhalter+ 2002; Kuiper+ 2011, 2012, ...)
 - ▶ Radiation RT instability (Krumholz+ 2009; Rosen+ 2016)
 - ▶ Turbulence in the core + filamentary accretion (Rosen+ 2016)
 - ▶ Protostellar jet cavities (Krumholz+ 2005, Cunningham+ 2011, Kuiper+ 2015, 2016)
- ▶ Bottom line: all evidence suggests that the radiation pressure barrier is at most a minor nuisance to massive star formation

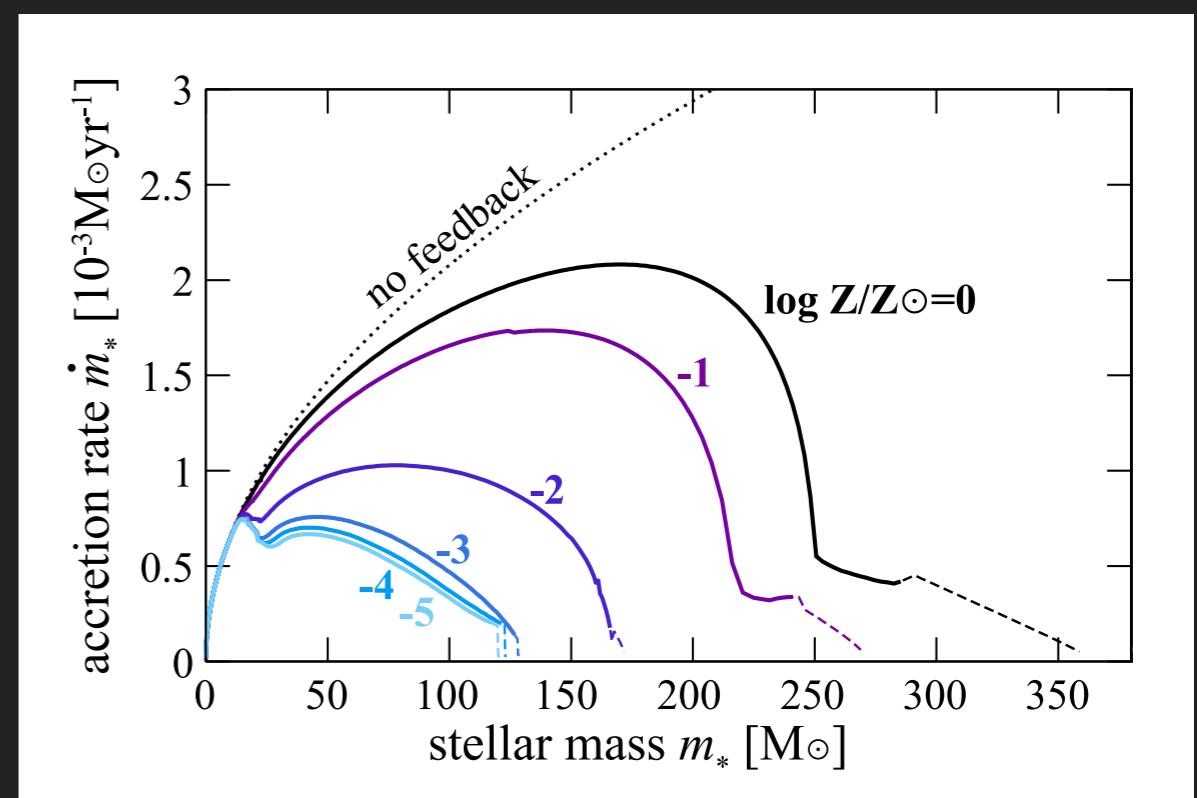
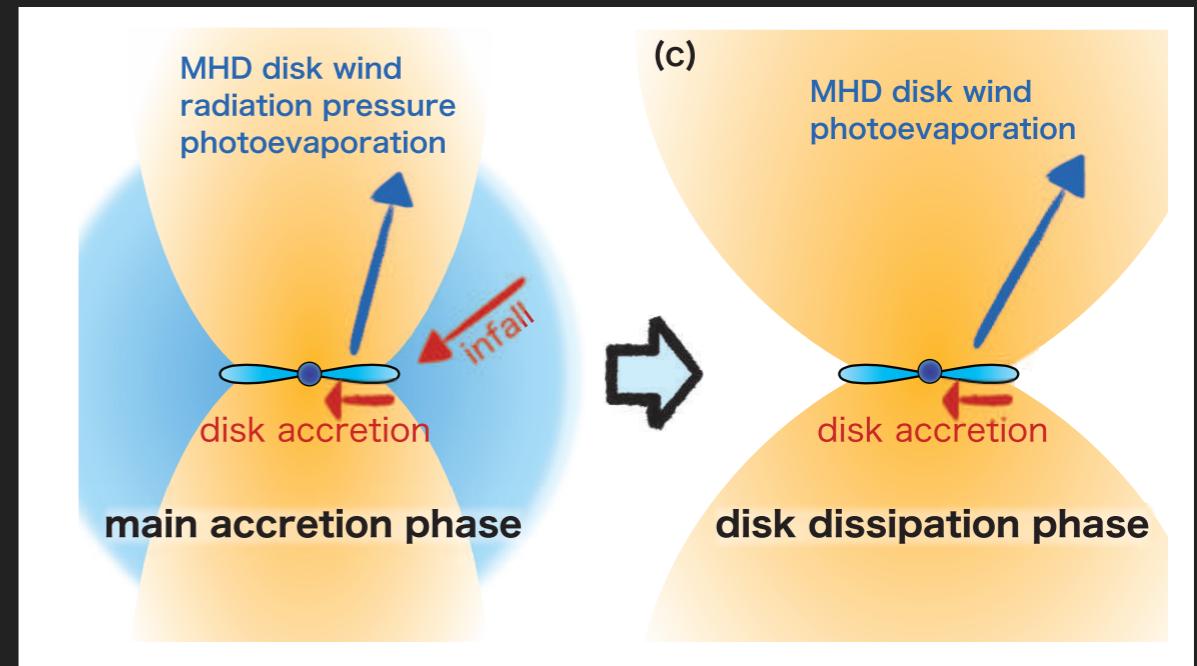


RADIATION PRESSURE SIMULATION

Rosen+ 2016

OTHER POSSIBLE MECHANISMS

- ▶ Disk photoevaporation: once outflow removes core, ionizing photons evaporate accretion disk (e.g., Hosokawa+ 2010, Tanaka+ 2018)
 - ▶ Only works at low Z , when dust shielding is weak
- ▶ Another possibility that has yet to be explored: instabilities in very massive stars that cause mass loss on the accretion time scale





CLOSING THOUGHTS

For no reason whatsoever, here is a baby Tasmanian devil

CLOSING THOUGHT

- ▶ For both massive stars and massive clusters, the key question is feedback: balance of mass in and mass out
- ▶ Observations seem to demand that feedback keeps ϵ_* and ϵ_{ff} small at the scale of star clusters (e.g., in gas traced by HCN) but does not prevent formation of massive stars
- ▶ What are the key differences in scale: surface density (clusters have lower Σ), environment (external influence gets less important on smaller scales), something else?